

# LONGITUDINAL DATA

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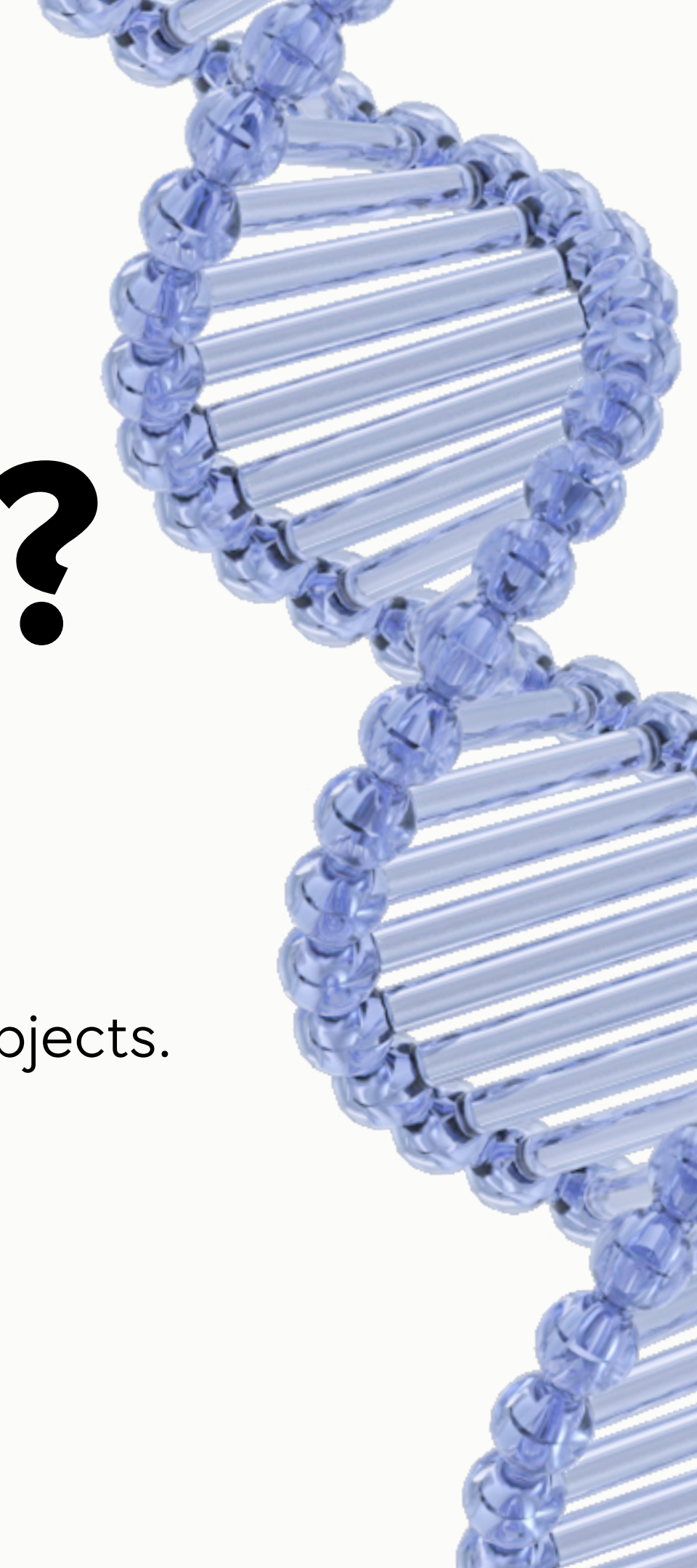
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# What is longitudinal data?

It refers to data which is collected over a period of time from the same subjects.



# Why is longitudinal data dependent?

- 1. Repeated Measures:**
- 2. Time-Related Effects:**
- 3. Individual variability:**





**Linear Regression**

**Model**

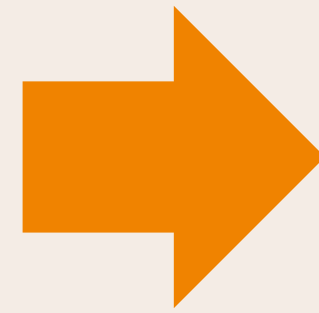
**VS**

**Linear Mixed**

**Model**

# DATA SIMULATION

```
# Define parameters  
n_subjects <- 100  
n_time_points <- 30  
beta_0 <- 3  
beta_2 <- 0.5  
sigma_0 <- 0.5  
sigma_1 <- 0.4  
rho <- 0.2
```



Generate data

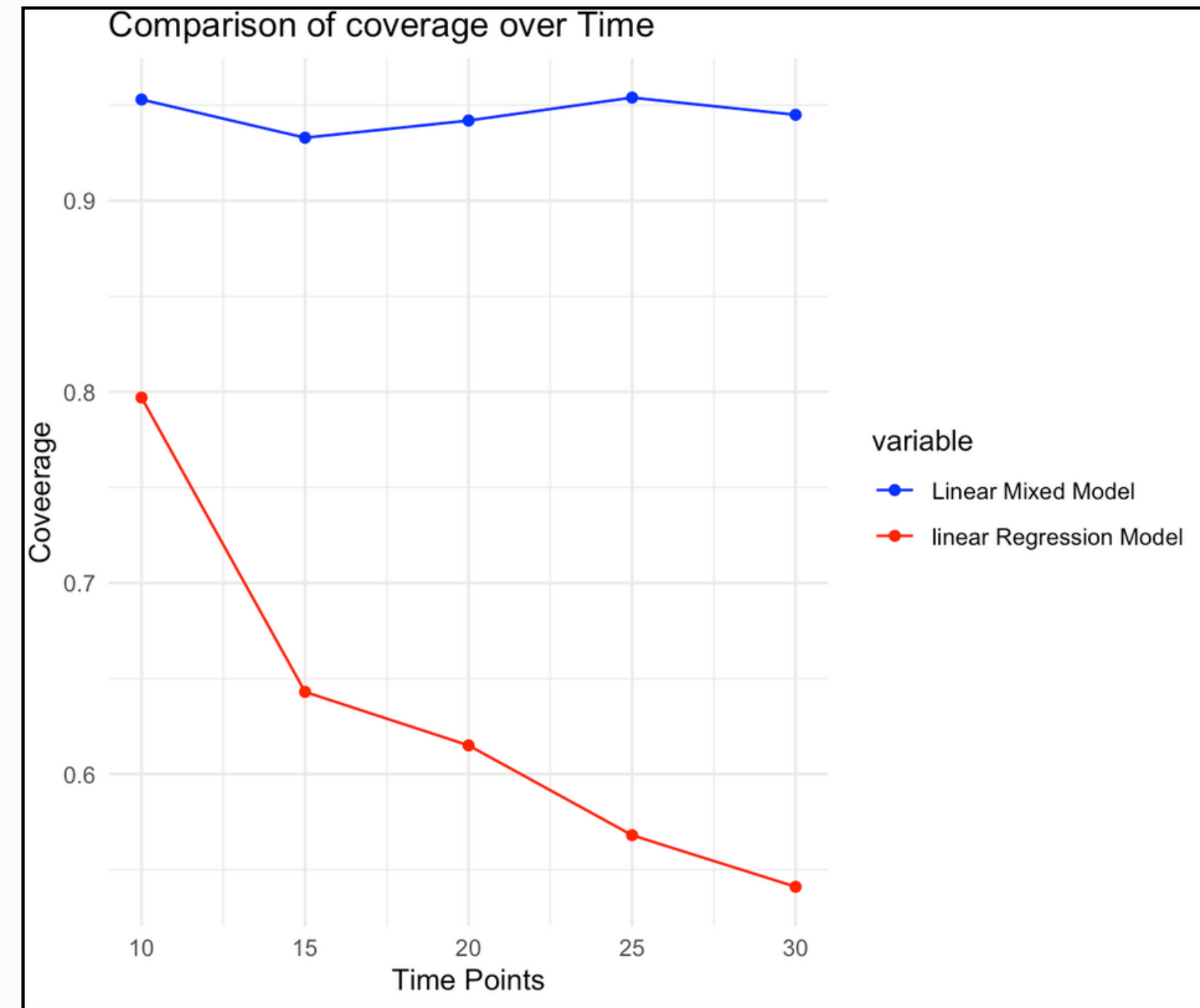
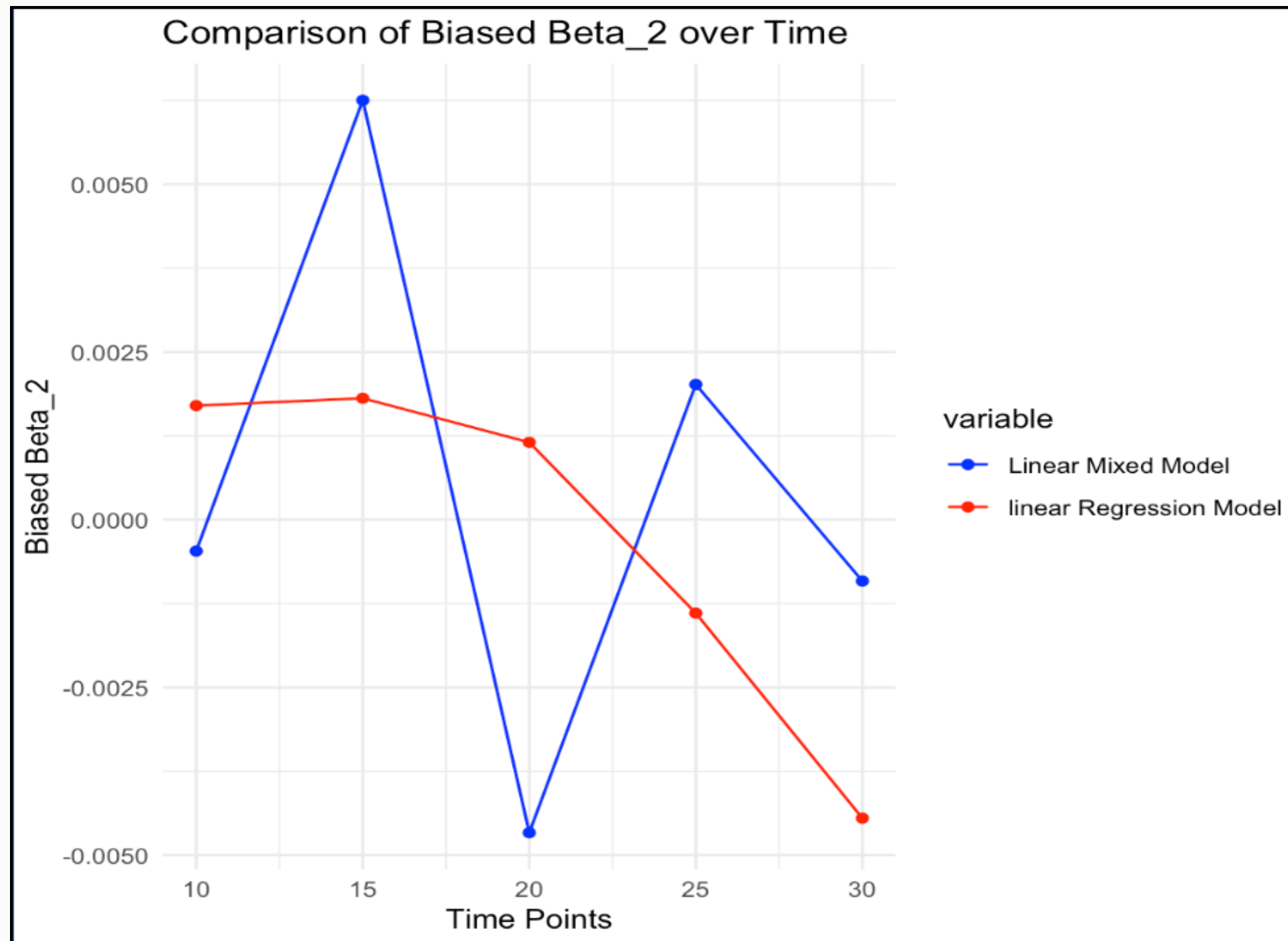


$$Y_{it} = \beta_0 + \beta_1 X + \beta_2 t + b_{0i} + b_{1i} t + \epsilon_{it}$$



Biased beta\_2 & Coverage

# Data Simulation



# HIV Research

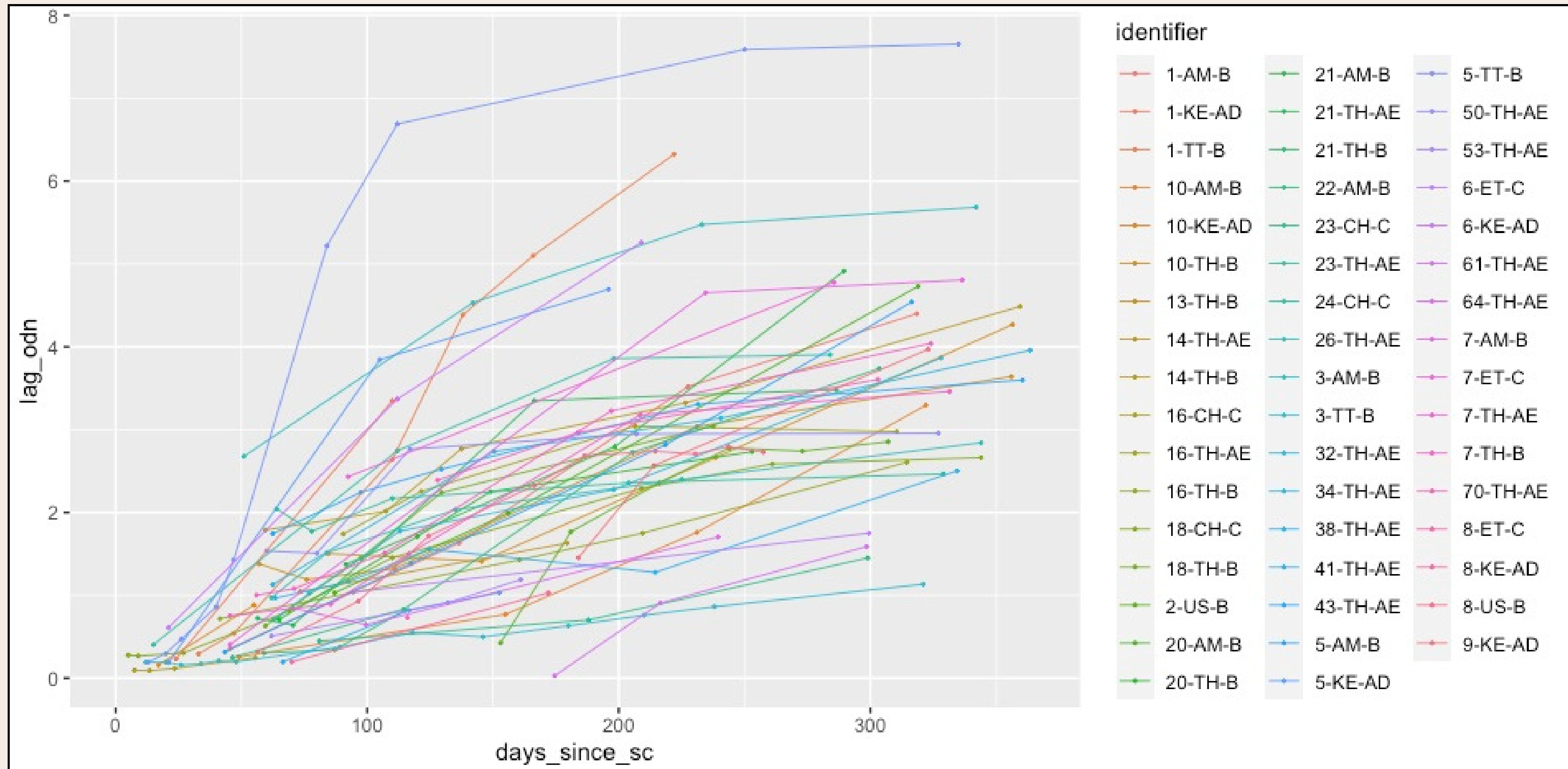
How HIV incidence changed over time?

- One specific use of understanding how LAg Avidity changes over time is in estimating HIV incidence (the rate at which people contract HIV) in a population.
- LAg Avidity: a measure of the binding strength of a certain set of antibodies against HIV.





# GRAPH



**days\_since\_sc:** Days since HIV seroconversion, as estimated by the midpoint between the last negative and first positive test

**lag\_odn:** LAg Avidity, the biomarker of interest

# FINDINGS

$$LAgODn = \beta_0 + \beta_1 Days + b_0 + \epsilon$$

- The estimated coefficient for days\_since\_sc is approximately 0.0102.
  - With 100 days increase, the lag Avidity increases 1.02 on average.
- Confidence Interval
  - Lower bound: 0.009712427
  - Upper bound: 0.01072529

We want to fit a model with the random slope b1, but we run into computational issues, because of the data.

**Thank you!!!!**